(REVISION - 2015)

Reg. No. Signature

DIPLOMA EXAMINATION IN ENGINEERING/TECHNOLOGY/ MANAGEMENT/COMMERCIAL PRACTICE — OCTOBER 2018

ENGINEERING MATHEMATICS - II

[Time: 3 hours

(Maximum marks: 100)

PART - A

(Maximum marks: 10)

Marks

- Answer all questions. Each question carries 2 marks.
 - 1. Find a unit vector in the direction of the vector 2i +
 - 2. Evaluate $\begin{bmatrix} 1 & 2 & -1 \\ 2 & 0 & 3 \\ -2 & -4 & 2 \end{bmatrix}$
 - 3. If $A = \begin{bmatrix} 0 & 2 \\ -1 & 3 \end{bmatrix}$ and $B = \begin{bmatrix} 1 & 1 \\ 3 & -1 \end{bmatrix}$, find (2)

 - 4. Find $\int (3x^2 2x + 1) dx$ 5. Solve $\frac{d^2y}{dx^2} = \sin x$

 $(5 \times 2 = 10)$

PART - B

(Maximum marks: 30)

- II Answer any five of the following questions. Each question carries 6 marks.
 - 1. The constant forces $2\overline{i} 5\overline{j} + 6\overline{k}$, $-\overline{i} + 2\overline{j} \overline{k}$ and $2\overline{i} + 7\overline{j}$ act on a Particle such that the particle is displaced from the position $4\overline{i} - 3\overline{j} - 2\overline{k}$ to $6\overline{i} + \overline{j} - 3\overline{k}$. Find the total work done.
 - $\left(3x^2 \frac{1}{2x^3}\right)^{10}$ Find the term indipendant of x in the expansion of
 - 3. If $A = \begin{bmatrix} 2 & 0 & 1 \\ 2 & 1 & 3 \\ 1 & 1 & 0 \end{bmatrix}$, find $A^2 5A + 6I$
 - 4. Find the inverse of the matrix $\begin{bmatrix} 3 & -2 & 3 \\ 2 & 1 & -1 \end{bmatrix}$

5

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5

- 5. Evaluate $\int^{\pi/8} \sin x \sin 3x \, dx$.
- Find the area of a circle of radius 'r' units using integration.

7. Solve:
$$x (1 + y^2) dx + y (1 + x^2) dy = 0$$
 (5×6 = 30)

PART — C

(Maximum marks: 60)

(Answer one full question from each unit. Each full question carries 15 marks.)

III (a) Find the angle between the vectors
$$\overline{i} - 2\overline{j} + 3\overline{k}$$
 and $3\overline{i}$ $2\overline{j} + \overline{k}$ 5

- III (a) Find the angle between the vectors i 2j + 3k and 3i 2j + k
 (b) Find the value of λ for which the vectors 3i + 2j + 9k and i + λj + 3k are parallel.
 - (c) Find the 10th term in the expansion of x^2 5

IV (a) Find
$$\bar{a} \times \bar{b}$$
 if

$$\bar{a} = 2\bar{i} + 3\bar{j} + 6\bar{k},$$

$$\bar{b} = 3\bar{i} - 6\bar{j} + 2\bar{k}$$
(b) If $\bar{a} = 5\bar{i} - \bar{j} - 3\bar{k}$ and $\bar{b} = \bar{i} + 3\bar{j} - 5\bar{k}$ show that $\bar{a} + \bar{b}$ and

- 5 (c) Expand $(2x + 3y)^4$ using binomial theorem.

V (a) Solve for 'x' if
$$\begin{vmatrix} 2x - 1 & x + 1 \\ x + 2 & x - 2 \end{vmatrix} = 0$$

(b) Find A and B if

$$A + B = \begin{bmatrix} 4 & 6 \\ 2 & 3 \end{bmatrix} \text{ and } A - B = \begin{bmatrix} -2 & 8 \\ 4 & -1 \end{bmatrix}$$

(c) If A
$$\begin{bmatrix} 1 & 0 & 0 \\ -2 & 1 & -1 \\ 3 & 0 & 1 \end{bmatrix}$$
 Evaluate A³

(b) For the matrices given below, compute AB and BA and show that AB \neq BA $A = \begin{bmatrix} 1 & 2 & 3 \\ -4 & 5 & 1 \end{bmatrix} \qquad B = \begin{bmatrix} 1 & 2 \\ 2 & 4 \\ -1 & 1 \end{bmatrix}$ (c) Find the adjoint of the matrix $A = \begin{bmatrix} 1 & 1 & 1 \\ 2 & 1 & -3 \\ -1 & 2 & 3 \end{bmatrix}$ $UNIT - III$ VII (a) Evaluate $\int \frac{3 \cos x + 4}{\sin^2 x} dx$ (b) Evaluate $\int \frac{1}{x \log x} dx$ (c) Evaluate $\int \frac{\pi^2}{x \sin x} dx$ (d) Evaluate $\int \frac{1}{x \log x} dx$ VIII (a) Evaluate $\int \frac{1}{x \log x} dx$ (b) Evaluate $\int \frac{1}{x \log x} dx$ (c) Evaluate $\int \frac{1}{x \log x} dx$ VIII (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the $y - axis$ and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration. (b) Solve $\frac{dy}{dx} = (1 + x)(1 + y^2)$				Marks
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(c) Find the adjoint of the matrix $A = \begin{bmatrix} 1 & 1 & 1 \\ 2 & 1 & -3 \\ -1 & 2 & 3 \end{bmatrix}$ UNIT — III VII (a) Evaluate $\int \frac{3 \cos x + 4}{\sin^2 x} dx$ (b) Evaluate $\int \frac{1}{x \log x} dx$ (c) Evaluate $\int \frac{1}{x^2 e^{-x}} dx$ (d) Evaluate $\int \frac{1}{x^2 e^{-x}} dx$ VIII (a) Evaluate $\int \frac{1}{x^2 e^{-x}} dx$ UNIT — IV IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $\frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration.				
VII (a) Evaluate $\int \frac{3 \cos x + 4}{\sin^2 x} dx$ (b) Evaluate $\int \frac{1}{x \log x} dx$ (c) Evaluate $\int \frac{\pi^2}{x \sin x} dx$ (d) Evaluate $\int x^2 e^{-x} dx$ (e) Evaluate $\int x^2 e^{-x} dx$ (f) Evaluate $\int x^2 e^{-x} dx$ (g) Evaluate $\int x^2 e^{-x} dx$ (h) Evaluate $\int x^2 e^{-x} dx$ (g) Evaluate $\int x^2 e^{-x} dx$ (h) Evaluate $\int x^2 e^{-x} dx$ (h) Evaluate $\int x^2 e^{-x} dx$ (o) Evaluate $\int x^2 e^{-x} dx$ Unit — IV IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the $y - x$ axis and the lines $y = 3$, $y = 9$ about the $y - x$ axis. (c) Solve $x = x + 3$ Or X (a) Find the volume of a sphere of radius 'r' using integration.				5
VII (a) Evaluate $\int \frac{3 \cos x + 4}{\sin^2 x} dx$ (b) Evaluate $\int \frac{1}{x \log x} dx$ (c) Evaluate $\int x^2 e^{-x} dx$ VIII (a) Evaluate $\int x^2 e^{-x} dx$ (b) Evaluate $\int x^2 e^{-x} dx$ (c) Evaluate $\int x^2 e^{-x} dx$ IN IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the $y - 3x$ and the lines $y = 3$, $y = 9$ about the $y = 3x$ and $y = 3x$ a		(c)	Find the adjoint of the matrix $A = \begin{bmatrix} 1 & 1 & 1 \\ 2 & 1 & -3 \\ -1 & 2 & 3 \end{bmatrix}$	5
(b) Evaluate $\int \frac{1}{x \log x} dx$ (c) Evaluate $\int x^{2} x \sin x dx$ VIII (a) Evaluate $\int \sin^{3}x \cos x dx$ (b) Evaluate $\int x^{2} e^{-x} dx$ (c) Evaluate $\int \frac{1}{x^{2}} \frac{2x + 1}{x + 1} dx$ $U_{NIT} - IV$ IX (a) Find the area enclosed between the curve $y = x^{2}$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^{2} + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^{2}$ OR X (a) Find the volume of a sphere of radius 'r' using integration.			Unit — III	
(c) Evaluate $\int_{0}^{\pi/2} x \sin x dx$ VIII (a) Evaluate $\int_{0}^{\pi/2} x^{2} e^{-x} dx$ (b) Evaluate $\int_{0}^{\pi/2} x^{2} e^{-x} dx$ (c) Evaluate $\int_{0}^{\pi/2} x^{2} e^{-x} dx$ $U_{NIT} - IV$ IX (a) Find the area enclosed between the curve $y = x^{2}$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^{2} + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x = \frac{dy}{dx} + 3y = 5x^{2}$ OR X (a) Find the volume of a sphere of radius 'r' using integration. (b) Solve $\frac{dy}{dx} = (1 + x)(1 + y^{2})$	VII	(a)	Evaluate $\int \frac{3 \cos x + 4}{\sin^2 x} dx$	5
VIII (a) Evaluate $\int \sin^3 x \cos x dx$ (b) Evaluate $\int x^2 e^{-x} dx$ (c) Evaluate $\int x^2 e^{-x} dx$ UNIT — IV IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration.		(b)	Evaluate $\int \frac{1}{x \log x} dx$	5
(c) Evaluate $\int x^2 e^{-x} dx$ $U_{NIT} - IV$ IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration.		(c)	Evaluate $\int_{0}^{\pi/2} x \sin x dx$	5
(c) Evaluate UNIT — IV IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration.	VIII			5
(c) Evaluate UNIT — IV IX (a) Find the area enclosed between the curve $y = x^2$ and the straight line $y = 3x + 4$ (b) Find the volume generated by rotating the area bounded by $y = 2x^2 + 1$, the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration.		(b)	Evaluate $\int x^2 e^{-x} dx$	5
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y = 3x + 4 (b) Find the volume generated by rotating the area bounded by y = 2x² +1, the Y - axis and the lines y = 3, y = 9 about the Y-axis. (c) Solve x $\frac{dy}{dx}$ + 3y = 5x² OR X (a) Find the volume of a sphere of radius 'r' using integration.	IX	(a)		
the Y - axis and the lines $y = 3$, $y = 9$ about the Y-axis. (c) Solve $x \frac{dy}{dx} + 3y = 5x^2$ OR X (a) Find the volume of a sphere of radius 'r' using integration. (b) Solve $\frac{dy}{dx} = (1 + x)(1 + y^2)$			y = 3x + 4	5
OR X (a) Find the volume of a sphere of radius 'r' using integration. (b) Solve $\frac{dy}{dx} = (1 + x) (1 + y^2)$		(b)		5
X (a) Find the volume of a sphere of radius 'r' using integration. (b) Solve $\frac{dy}{dx} = (1 + x) (1 + y^2)$		(c)	Solve $x \frac{dy}{dx} + 3y = 5x^2$	5
(b) Solve $\frac{dy}{dy} = (1 + x) (1 + y^2)$	-	2.5		
(b) Solve $\frac{dy}{dx} = (1 + x) (1 + y^2)$ (c) Solve $\frac{dy}{dx} + \frac{x\sqrt{1 + y^2}}{y\sqrt{1 + x^2}} = 0$	X			5
(c) Solve $\frac{dy}{dx} + \frac{x\sqrt{1+y^2}}{y\sqrt{1+x^2}} = 0$		(b)	Solve $\frac{dy}{dx} = (1 + x)(1 + y^2)$	5
		(c)	Solve $\frac{dy}{dx} + \frac{x\sqrt{1+y^2}}{y\sqrt{1+x^2}} = 0$	5

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DIPLOMA EXAMINATION IN ENGINEERING/TECHNOLOGY/ MANAGEMENT/COMMERCIAL PRACTICE — OCTOBER, 2018

ENGINEERING GRAPHICS

[Time: 3 hours

(Maximum marks: 100)

[Note:-1. A2 size drawing sheet to be supplied.

- 2. All drawing should be in first angle projections.
- 3. Both sides of the drawing sheet can be used.
- 4. Dimensioning as per BIS.
- 5. Sketches accompanied.]

PART - A

(Maximum marks: 1

Marks

- I Answer all questions in one or two sentences. Each question carries 2 marks.
 - 1. What is reference line or xy line.
 - Give the names of the conic curves having eccentricity unity and eccentricity less than unity.
 - 3. Give the length and width of the drawing boards designated as D0, D1, D2 and D3.
 - 4. What is the difference between oblique view and isometric view ?
 - 5. What are the uses of sectional views?

 $(5 \times 2 = 10)$

PART — B

(Maximum marks: 30)

(Answer any five of the following questions. Each questions carries 10 marks)

- II Redraw the figure -1 and dimensions it as per BIS.
- III Draw a parabola, if the distances of its focus from the directrix is 60 mm. Draw a tangent and normal at any point on the parabola.
- IV Draw the projections of the following points in a common reference line.
 - (a) Point P is 12mm above HP and 20mm in front of VP.
 - (b) Point Q is 24mm below HP and 30mm behind VP.
 - (c) Point R is in HP and 32mm behind VP.
 - (d) Point S is 15mm below HP and 40mm in front of VP.
 - (e) Point T is in HP and in VP.

- V A line AB of length 80mm is inclined 45° to HP and 30° to VP. The end A of the line is 15mm above HP and 20mm in front of VP. Draw its projections.
- VI Draw the involute of a square of side 25mm.
- VII A hexagonal plane of side 30mm, has its one edge parallel to VP and 16mm in front of it. The plane is inclined 40° to VP and the lowest corner is 12mm above HP. Draw its projections.
- VIII The three orthographic views of an object is shown in figure 2. Draw the isometric view. $(5\times10=50)$

PART — C (Maximum marks : 40)

(Answer any two of the following questions. Each question carries 20 marks.)

- IX The isometric view of an object is shown in figure 3. Draw its front view, top view and left side view.
- X The isometric view of a lever is shown in figure ... Draw the full sectional elevation and plan.
- XI Draw the development of the elbow shown in figure 5.

 $(2 \times 20 = 40)$

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DIPLOMA EXAMINATION IN ENGINEERING/TECHNOLOGY/ MANAGEMENT/COMMERCIAL PRACTICE — OCTOBER, 2018

ENGLISH FOR COMMUNICATION - II

[Time: 3 hours

(Maximum marks: 100)

PART - A Marks Read the following excerpts and answer the questions that follow When he heard these words, something in him spoke; his father loved him! (a) Who heard the words? (b) Which were the words heard by him (c) What was the impact of those works on the hearer? "It filled my thoughts day and night." 2. What filled the narrator's thoughts? Why he says so 2 Explain the context. "You are the handicap you must face." 3. (a) Why does the poet say so? (b) How has God equipped us? How can we overcome the obstacles along our path? Semi conductors are exactly what the name implies. (a) Which was the first semiconductor device to be invented? (b) Why is a semiconductor called so? (c) How semiconductors influenced later inventions?

PART — B

11	1.	Students copied the answers.	
		(a) Change the sentence into negative.(b) Find the subject of the sentence.	(2).1 2)
	2.		$(2\times 1=2)$
	۷,	Choose the correct word from the brackets and fill in the blanks. (a) Don't forget to the door, when you go out. (latch, loiter)	
		(b) Manju tried to gain control of her car. (curious, in vain)	$(2 \times 1 = 2)$
	3.	Combine the sentences using suitable relative clauses.	
		(a) You recommended a movie. It is no longer playing.	
		(b) I received a letter from my friend. He is working in London.	$(2 \times 1 = 2)$
	4.	Your friend needs urgent medical aid. Write two sentences giving him/her	
		advice.	$(2 \times 1 = 2)$
	5.	Write two sentences congratulating your cousin, who has wored high in the	(01 0)
		exam.	$(2 \times 1 = 2)$
	6.	Given below are dictionary entries of the work 'gentle'. Study it carefully and answer the questions that follow.	
	,	gentle. Adj	
		(i) Having or showing a mild or tender temperament.	* ***
		(ii) Moderate in action, effect	
		gentleness n. gently adv.	
		(a) What is the adverb of the word 'gentle'?	
		(b) Use 'gente' in a sentence of your own.	
		(c) To which part of speech does 'gentle' belong.	
	- 41	(d) Gentleress is the form of gentle.	$(4 \times 1 = 4)$
	7.	Write the following words in their orthographic form (English).	
		(a) /drijk/ (b) /fij/ (c) /kli:n/ (d) /fi:p/	$4 \times 1 = 4$)
П	1	Fill in the blanks using the correct words from the how given below	
11	1,	Fill in the blanks using the correct words from the box given below.	
		rational, ushered, colleagues, carve, forbidden	
		(a) Raj and Reena work in the same company. They are	
		(b) Sculptors stone using chisels.	
		(c) His father was a man. He didn't believe in ghosts.	
		(d) Television in an era of entertainment.	$(4 \times 1 = 4)$

					Marks
2.	Pick out the word that	is different from the	others in n	neaning.	-16
		extraordinary	haste	unbelievable	
		handicap	gadget	device	
	(c) tremble	shiver	shake	jovial	
	(d) quickly	fast	grant	hastily	$(4 \times 1 = 4)$
3.	The following sentence passage.	has four spelling en	rors. Correc	t and rewrite the	
	Dabney was maid (a) the duty of supervising				(c) $(4 \times 1 = 4)$
4.	Each line contains an e	error. Correct the em	or and write	them down.	
	Every day, I wakes up		. a		
	But yesterday, I waked		b	AND DESCRIPTION OF THE PARTY OF	
	as I have a lot of home I complete the homework		d		$(A \vee 1 - A)$
5.	Use the passive voice.	one yesterouty resem.	34		$(4 \times 1 = 4)$
	(a) Patients	by doc	ors. (treat)	9	
	(b) Discipline				
	(c) He				
	(d) The work	by 20 th	next month.	(finish)	$(4 \times 1 = 4)$
6.	Read the following dial	ogue and complete	the paragrap	h.	
	Mother: I have been w	vaiting for you since	4 o'clock.		
	Vijay: I went to my fri	end's house.			
	Mother: Why did you				
	Vijay: His mother is ser	riously ill.			
	Mother told Vijay Mat				
	His mother further enqu	nired (c)	Vijay sadly	answered	
	that(d)				$(4\times 1=4)$
		PART —	C		
	ribe the person whom y		ost. Give at	tention to his/her	5
that 1	have purchased a mobile the product is not of the	specifications you			
	ustomer care requesting			- 4	5
Use	the process given below appropriate linkers. ose the right baking pan.	Allow the ingredien	nts to reach	room temperature.	
	eat the oven to the corre			ents with butter and	5
Subu	The country oggs. I till	in the o	· CII.		2

IV

VI

				Marks
VII			of your certificates submitted in the time of admission, ncipal requesting him to return the certificates.	5
VIII			ager of a reputed company. Study the schedule of your ow and prepare a report.	
	9.00am	-	attendance reporting	
	9.30 am	-	evaluation of previous day	
	10.00 am	12	meeting with sales representatives.	
	11.00 am	(Rec	calling up clients	
	12 noon	-	checking bank transactions	
	1.30 pm	-	preparing order chart	
	2.00 pm	-	E-filing the orders	
	3.00 pm	-	progress assessment for the day.	
	4.00 pm	-	meeting with the production team	
	5.00 pm	-	update work diary for the day	5
TYZ	** 4 0		0.3	

You are the Secretary of the nature club in your college. You organized a seminar on 'Environmental Pollution'. Prepare a vote of thanks to be delivered on the occasion.

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DIPLOMA EXAMINATION IN ENGINEERING/TECHNOLOGY/ MANAGEMENT/COMMERCIAL PRACTICE — OCTOBER, 2018

ENGINEERING PHYSICS - II

[Time: 3 hours

(Maximum marks: 100)

PART — A

(Maximum marks: 10)

Marks

- I Answer all questions in one or two sentences. Each question carries 2 marks.
 - 1. Write the SI unit of angular velocity and angular acceleration
 - 2. Give two uses of geo-stationary satellites.
 - 3. Ceiling fans have axes of rotation passing through its centre. Give reason.
 - 4. Calculate the effective resistance of 2 resistors R=2 Ω and R2=3 Ω in parallel.
 - 5. What do you understand by the term "nuclear fusion"?

 $(5 \times 2 = 10)$

PART — B

Maximum marks: 30)

- II Answer any five of the following questions. Each question carries 6 marks.
 - Define angular momentum "L" and torque "t" of an object in rotational motion and write SI unit of each quantity. What is the relationship between L and t?
 - Write three equations of translatory motion and explain the terms. Write the corresponding equations for rotational motion and explain each term.
 - 3. Derive an expression for acceleration due to gravity at Earth's surface starting from Newton's law of gravitation. Find its value, considering earth as a sphere of radius 6400 km and mass 6×10^{24} kg. Take $G = 6.7 \times 10^{-11}$ Nm²kg⁻²
 - Derive an expression for orbital velocity of a satellite in terms of acceleration due to gravity at earth's surface.
 - 5. Give the diagram of a metre bridge and explain its working principle. How is it used to find an unknown resistance?
 - 6. State and explain Biot and Savart law. A small current element is placed in north-south direction. What will be the magnetic field at a point 20 cm away and along north-east direction. The length of current element is 1cm and carries a current of 2 amperes.
 - 7. Explain the characteristics of light from a laser source. Give three applications of laser.

 $(5 \times 6 = 30)$

PART — C

(Maximum marks: 60)

(Answer one full question from each unit. Each full question carries 15 marks.)

UNIT - I

3 (a) Explain the physics behind "banking of roads and rails". III (b) Derive an expression for moment of inertia of a circular disc about a perpendicular 6 axis through the centre. (c) A particle is moving along the circumference of a circle of radius 3 m. If the angular velocity changes from 4 to 10 revolutions per second within 6 seconds, calculate the 6 angular and linear acceleration. (a) Explain the idea of centripetal force with one example. 3 (b) Derive an expression for total kinetic energy of a circular disc rolling on a horizontal 6 surface. (c) A wheel of mass 10kg and radius of greation 2m makes 30 revolutions per minute. Calculate the torque required to increase the angular velocity to 60 revolutions per 6 minute in 50 seconds. UNIT - II What do you know about a polar-satellite? 3 Define gravitational potential energy. What do you mean by gravitational potential of a heavy mass M. Calculate the gravitational potential energy of earth-moon system if mass of earth is 6×10^{24} kg, mass of the moon is 7.3×10^{22} kg and earth-moon 6 distance is 384400 km. (c) Acceleration due to gravity at earth's surface is 9.8 m/s². Considering earth as a sphere of radius 6400 km, find acceleration due to gravity at an altitude 64 km. What will be the acceleration due to gravity at a depth 100 km from earth's surface ? 6 (a) Calculate escape velocity from a star of mass 6×10^{26} kg and radius 9400 km. 3 VI (b) With necessary theory derive an expression for escape velocity from earth's surface. 6 (c) We have 2 stars of masses 12×10^{30} kg and 15×10^{28} kg respectively, separated by a distance of 2 × 105km. Find the gravitational force between them. What will be 6 the potential energy?

Unit — III

VII	(a)	Two aluminium wires have their lengths in the ratio 1:3 and radii in the ratio 2:3. Find the ratio of their resistances.	3
	(b)	Draw the circuit diagram of Wheatstone's bridge circuit. Analyse the circuit using Kirchhoff's laws and obtain the balancing condition of resistances.	6
	(c)	Using a circuit diagram, explain how galvanometer can be converted to a voltmeter.	6
		OR	
VIII	(a)	Resistance of a wire of length 20m and radius 10 mm is $12k\Omega$. Find its resistivity and conductivity.	3
	(b)	Draw the circuit diagrams for 2 resistors in parallel, connected to a potential difference "V". With necessary arguments, arrive at an expression for effective	
		resistance R _p .	6
	(c)	Give the circuit diagram and calculate the currents through the 2 resistors 2 Ω and 10 Ω , if they are in parallel and connected to a potential difference of 6 volt.	6
		UNIT - N	
IX	(a)	Explain quantum theory of light.	3
	(b)	What are the laws of photoelectric effect? Explain them using Einstein's theory.	6
	(c)	Light of wavelength 400 nm falls on a metal of work function 1.1 eV. Can we	
		observe photoelectric effect? If yes, what will be the maximum kinetic energy	
		of the photoelectrons? (h = $6.626 \times 10^{-34} \text{ Js}$)	6
		OR	
X	(a)	What are the advantages of gas laser over solid state laser?	3
	(b)	Explain the principle and working of Ruby laser.	6
	(c)	The threshold wavelength of a metal for photoelectric emission is 600 nm.	
		Determine the kinetic energy (in joules) of the electrons emitted when light of wavelength 500 nm falls on the metal. (h = 6.626×10^{-34} Js)	6

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DIPLOMA EXAMINATION IN ENGINEERING/TECHNOLOGY/ MANAGEMENT/COMMERCIAL PRACTICE — OCTOBER, 2018

PROGRAMMING IN C

[Time: 3 hours

(Maximum marks: 100)

PART — A

(Maximum marks: 10)

Marks

- I Answer all questions in one or two sentences. Each question earries 2 marks.
 - 1. State a Variable.
 - 2. Define a function.
 - 3. Write a statement to declare an array to store Sinteger numbers.
 - 4. Write a library function to reverse a tring.
 - 5. Define a structure.

 $(5 \times 2 = 10)$

PART — B

(Maximum marks: 30)

- II Answer any five of the following questions. Each question carries 6 marks.
 - 1. Describe the different relational and logical operators with examples.
 - 2. Explain the syntax of for loop with example.
 - 3. Describe recursion with an example.
 - 4. Explain the features of Preprocessor statements.
 - 5. Describe an array of pointers with an example.
 - 6. Write a C program to find out the greatest element of an array of "N" elements.
 - 7. Describe how to declare a string and write any two methods to read a string. $(5 \times 6 = 30)$

[18]

P.T.O.

PART — C

(Maximum marks: 60)

(Answer one full question from each unit. Each full question carries 15 marks.)

Unit — I

Ш	(a)	Explain the hierarchy of operations in C and also write the hierarchy of operators with examples.	9
	(b)	Write a C program to find out the area of a right angled triangle (½ × base × height)	6
		OR	
IV	(a)	Write a C program to find out the greatest number from given three numbers.	8
	(b)	Write a C program to find out the sum of digits of a given number.	7
		Unit — II	
V	(a)	Write a C program to find out the sum of first N Fibonacci elements; each element is find out by a recursive function [that function find out the Nth Fibonacci element of Fibonacci series (0, 1, 1, 2, 3, 5, 8, (3 etc.)]	9
	(b)	Write a function to exchange the values of 2 variables using pointers. Also write main program to call the function.	6
VI	(a)	Distinguish between static and automatic variables.	8
	(b)	Describe macro with an example.	7
		Unit — III	
VII	(a)	Write a C program to find out the smallest element of an MxN matrix and print its position.	9
	(b)	Write a C program to print all the elements which is above the average of an Array of N numbers. OR	6
/III	(a)	Write a C program to read numbers into an array; assign the array to a pointer and print the array using the pointer.	8
	(b)	Write a function to find out the sum of all the elements in an array of N numbers. Also write main program to call the function.	7
		Unit — IV	
IX	(a)	Explain the string functions with example - strcmp(), strcpy() and strcat()	9
	(b)	Describe a two dimensional array of characters and also describe how to initialise it.	6
		OR	
X	Writ	te a program using an array of structure to read Item name, quantity, rate of	
		items in a shop and print the item name, quantity, rate and price of each items to e = quantity×rate)	15